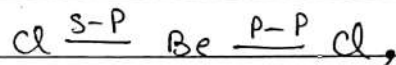


## Hybridisation-

It is given by Pauling.

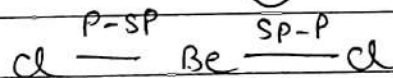
acc. to overlapping theory diff. covalent bond in molecule are different

e.g - in  $\text{BeCl}_2$



both Be-Cl are different in nature but experimentally it is found that both bond are same in nature so it does not explain by overlapping theory so new concept for explanation of formation of covalent bond given by Pauling and that is hybridisation

→ Mixing of diff. orbitals and redistribution of energy to form same no. of new orbitals. These have same energy and shape. These new orbitals are called Hybrid orbitals. In case of  $\text{BeCl}_2$



## Type of Hybridisation-

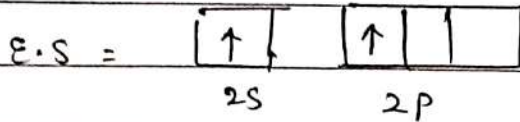
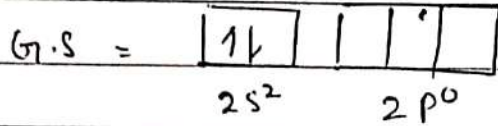
1) S-P hybridisation.

1 no S + 1 no P → 2 no. S-P hybrid orbitals

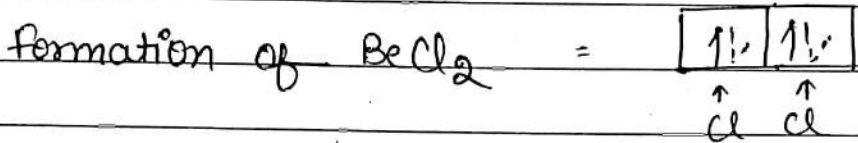
for e.g. Formation of  $\text{BeCl}_2$

(Be)(4) :-

\* Shape linear bond angle - 180



At hybridisation state

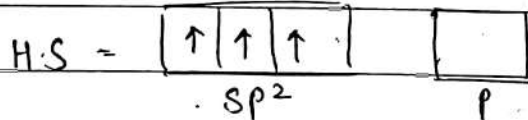
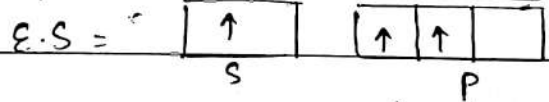
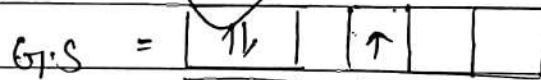


### 2) $sp^2$ hybridisation

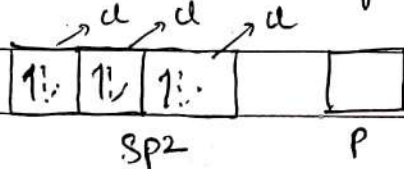
$1s + 2p \rightarrow 3$  no. of  $sp^2$  Hybrid orbitals

Shape - trigonal planar - bond angle -  $120^\circ$

ex -  $BCl_3$   
B(5)



formation of  $BCl_3$

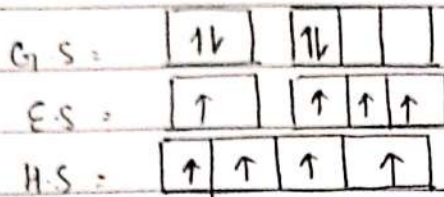


### 3) $sp^3$ Hybridisation

$1s + 3p \rightarrow 4sp^3$  hybrid orbitals

example  $CH_4$

C(6)

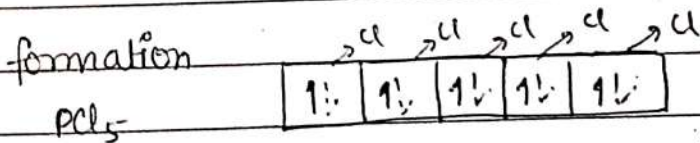
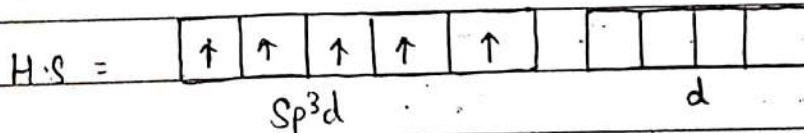
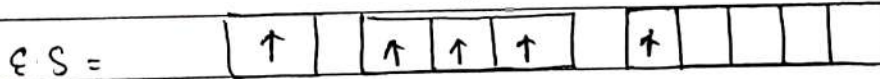
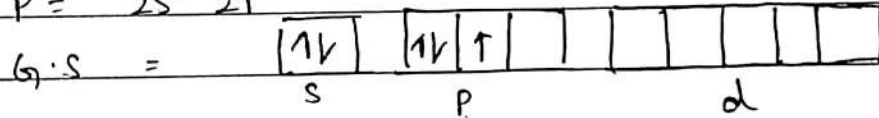
 $sp^3$ 

formation

C



Shape - tetrahedral

bond angle -  $109^\circ 28'$ 4)  $sp^3d$  Hybridisation $1s + 3p + 1d \rightarrow 5 sp^3d$  hybrid orbitalsexample  $PCl_5$  $P = 2s^2 2p^3$ Shape - Trigonal bipyramid  $\star$ 

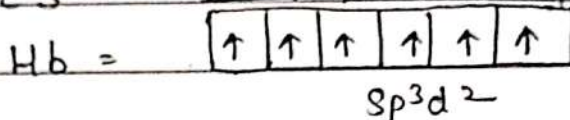
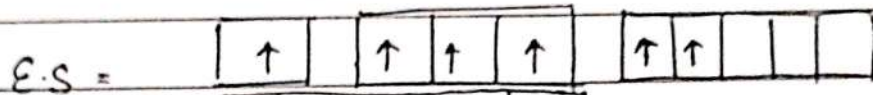
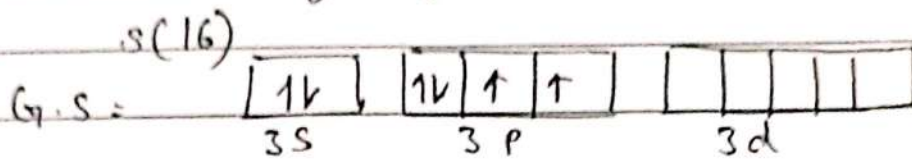
Note - In hybridisation process empty orbitals, unpaired  $e^-$  orbitals, lone pair orbitals can be participant.

In Coordination Compound - empty orbitals participate in hybridisation process

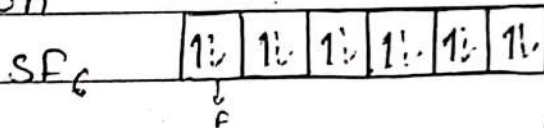
\* Hybridisation - No. of bond atom + no. of lone pair  
 lone pair - valence  $e^-$  - bond atom + (-ve charge)  
 - (+ve charge)

5)  $sp^3d^2$  Hybridisation -

eg. formation of  $SF_6$



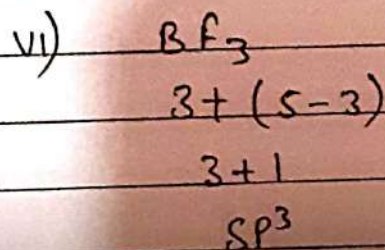
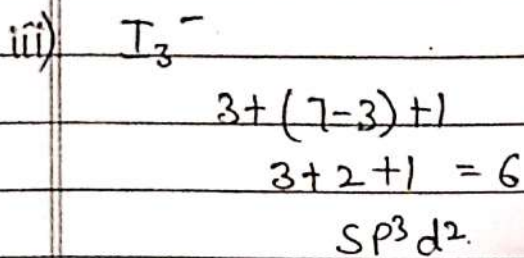
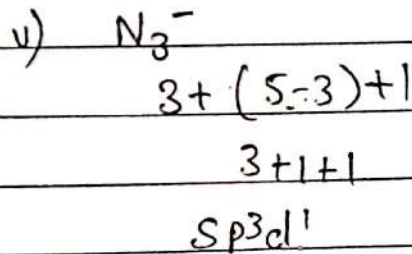
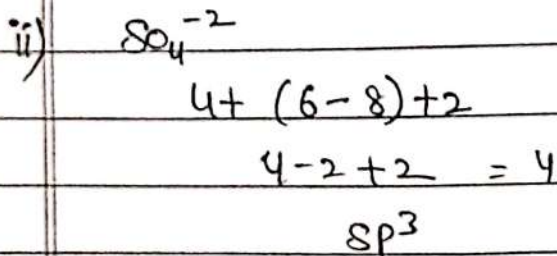
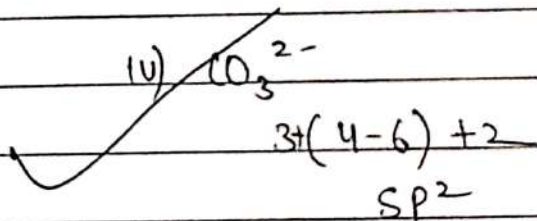
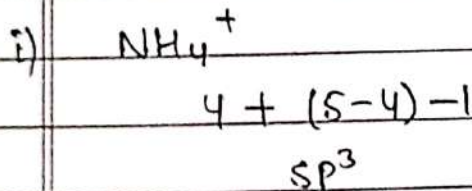
formation

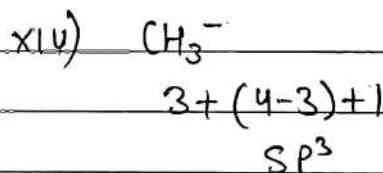
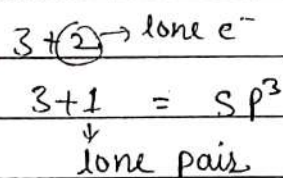
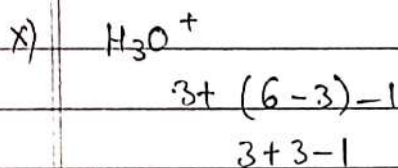
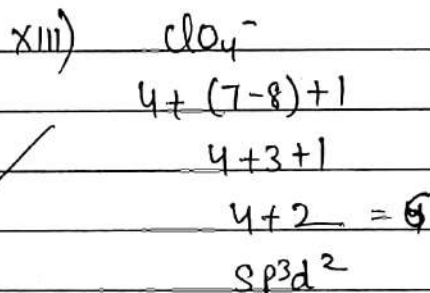
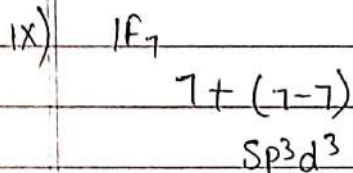
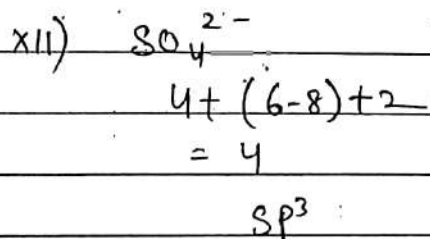
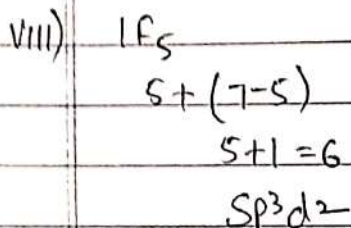
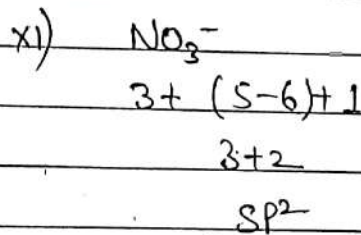
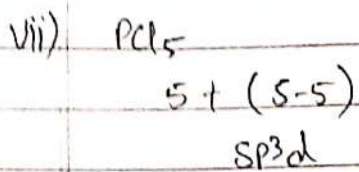


shape - octahedral



Some Examples are:-

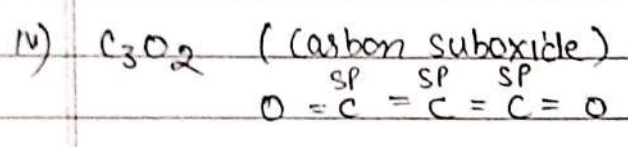
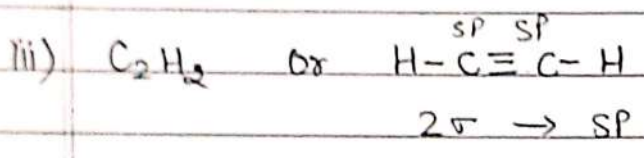
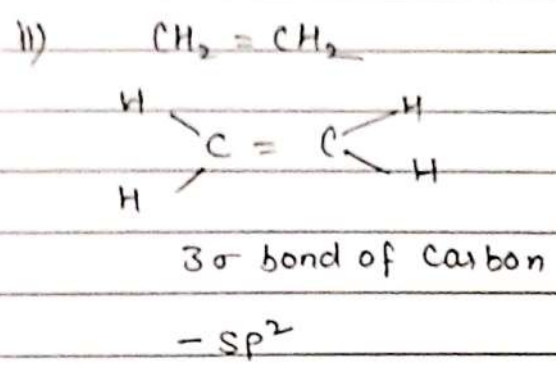
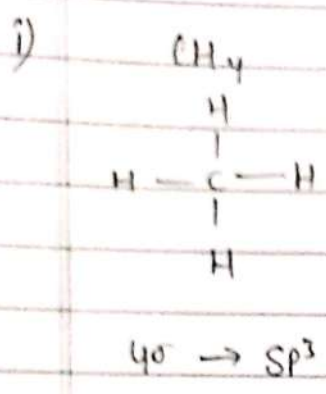




☺ VSEPR : Valence shell electron Pair Repulsion Theory :-  
 - Acc. to this theory if any lone pair available in molecule than lone - pair - lone pair repulsion is higher as compare to lone pair - lone bond pair and bond - pair - bond pair.  
 Subsequently.

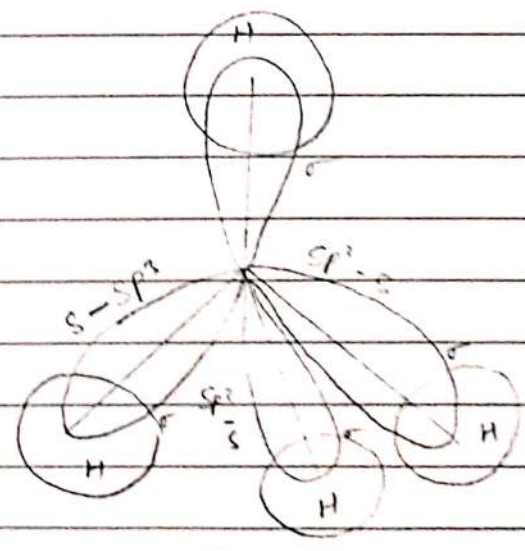


Types of molecules	No. of central atom	No. of lone pair	H.B	Electronical geometry	Molecular geometry (shape)	Bond angle	Example
$AB_2$	2	0	SP	Linear	Linear	180°	$BeCl_2$
$AB_3$	3	0	$SP^2$	Trigonal planar	Trigonal planar	120°	$BCl_3$
$AB_4$	4	0	$SP^3$	T.M	Tetrahedral	109.28°	$CH_4$
$AB_5$	5	0	$SP^3d$	Trigonal bipyramidal	Trigonal bipyramidal		
$AB_6$	6	0	$SP^3d^2$	Octahedral	Octahedral		$SF_6$
$AB_2L$	2	1	$SP^2$		bend shape		$SO_2$
$AB_3L$	3	1	$SP^3$		Pyramidal	$\approx 108^\circ$	$NH_3$
$AB_2L_2$	2	2	$SP^3$		bent		$H_2O$
$AB_4L$	4	1	$SP^3d$		Saw saw		
$AB_2L_3$	3	2	$SP^3d$		T shape		
$AB_2L_3$	2	3	$SP^3d$		Linear	180°	$I_3^-$
$AB_5L$	5	1	$SP^3d$		Square pyramidal		
$AB_4L_2$	4	2	$SP^3d^2$		Square planar		
$AB_5L$	5	0	$SP^3d^2$		Pentagonal bipyramidal		

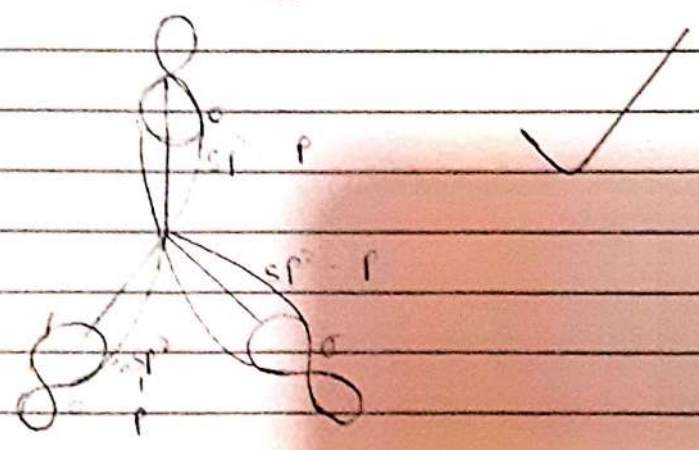


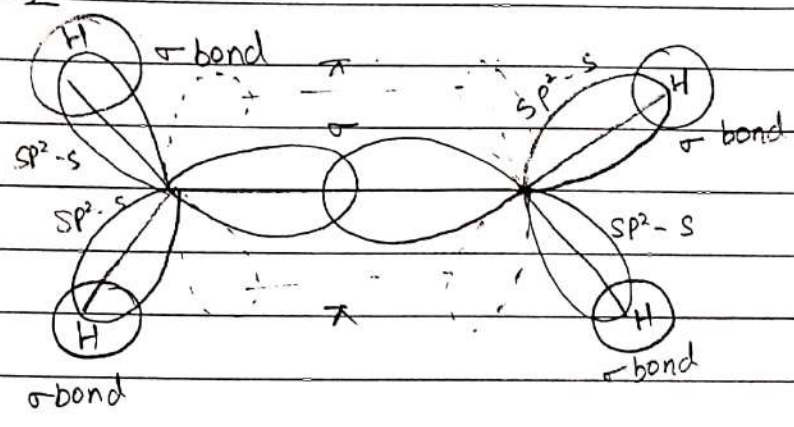
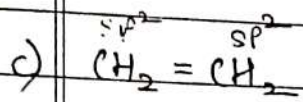
Hybrid molecular structure of  $\text{CH}_4$  :->

a)  $\text{CH}_4$

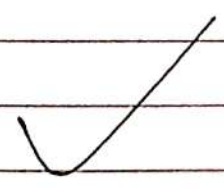
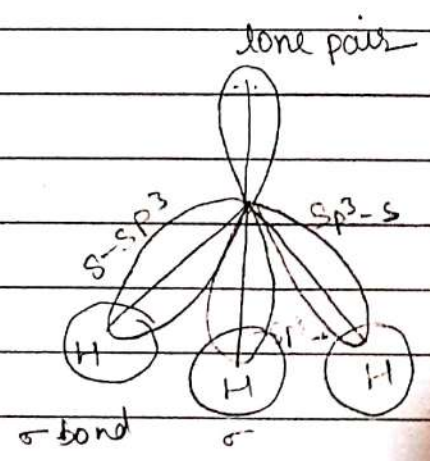
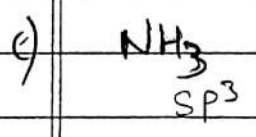
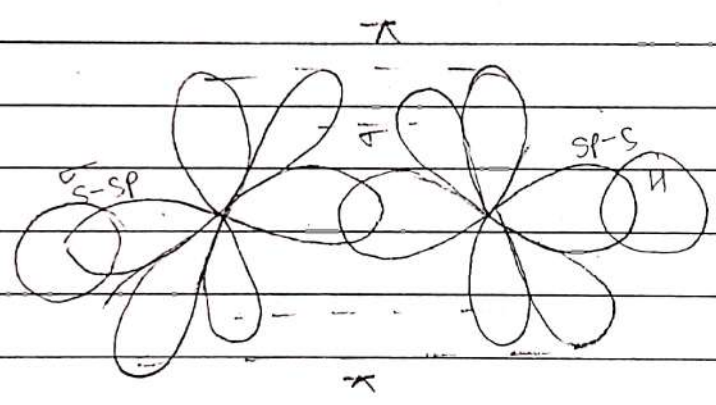
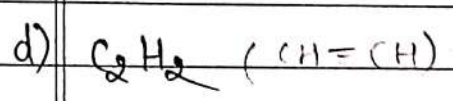


b)  $\text{BCl}_3$





$p_z$  forms  $\pi$  bond side-side.



Ques Methane, Ammonia and water have  $sp^3$  hybridisation but bond angle and shape are different in all these molecules. Why?

Ans Due to lone pairs.

- $CH_4 - 0$
- $NH_3 - 1$
- $H_2O - 2$

Ques  $CO_2$  and  $SO_2$  are linear but  $SO_2$  is bent in nature. Why?

no lone pair	1 lone pair
$sp$ , Linear.	$sp^2$ , bent shape

### Limitations of Hybridisation theory - (V.B.T) -

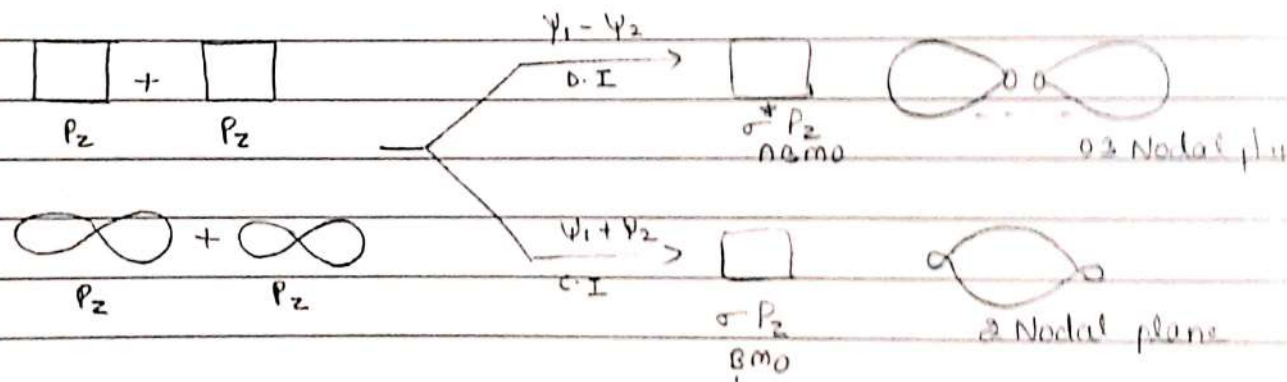
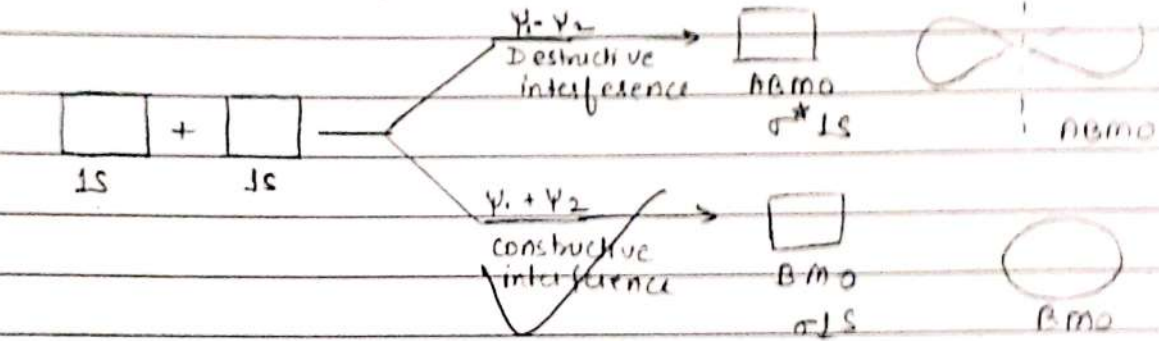
- a) It does not explain magnetic properties of molecules or ions.
- b) It does not tell us why bond orders of molecules or ions should be in fraction.
- c) It does not explain increasing or decreasing order of stability of molecules or ions.

### \* Molecular Orbital Theory -

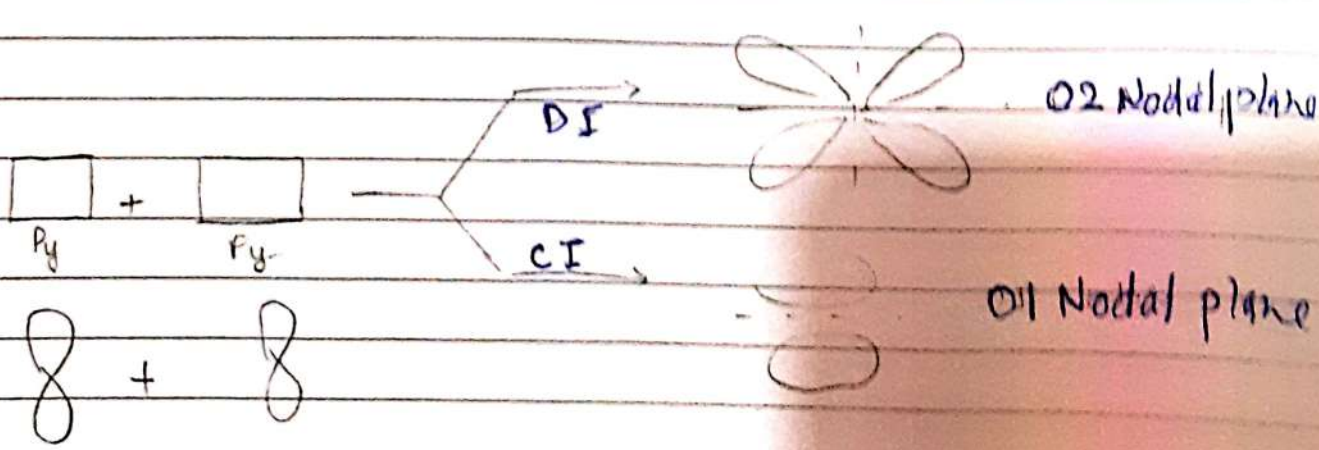
- a) This concept is given by Hund.
- b) Acc. to this theory, atomic orbitals form same no. of bonding molecular orbital (B.M.O) and anti-bonding molecular orbital (A.B.M.O)
- c) B.M.O form due to constructive interference of atomic orbitals and A.B.M.O formed due to destructive interference of atomic orbitals.

d) B.M.O have lower energy as compare to A.B.M.O So B.M.O is more stable and favours formation of molecule.

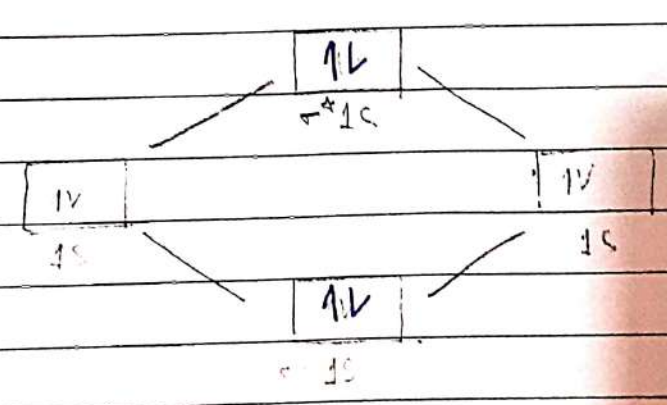
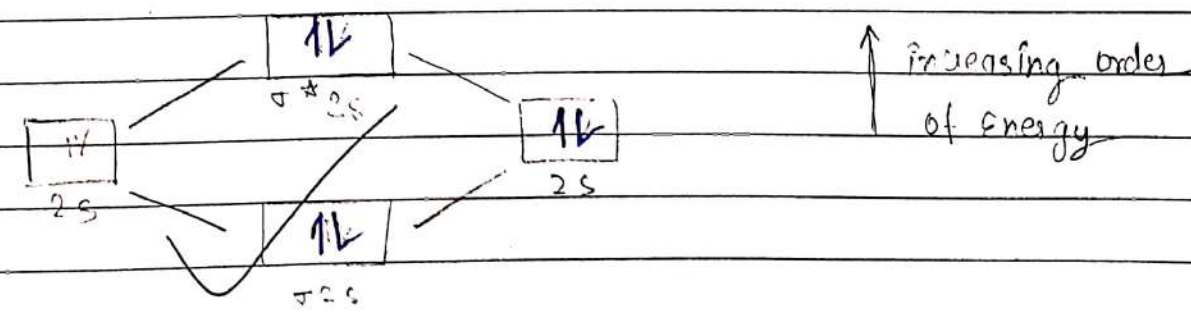
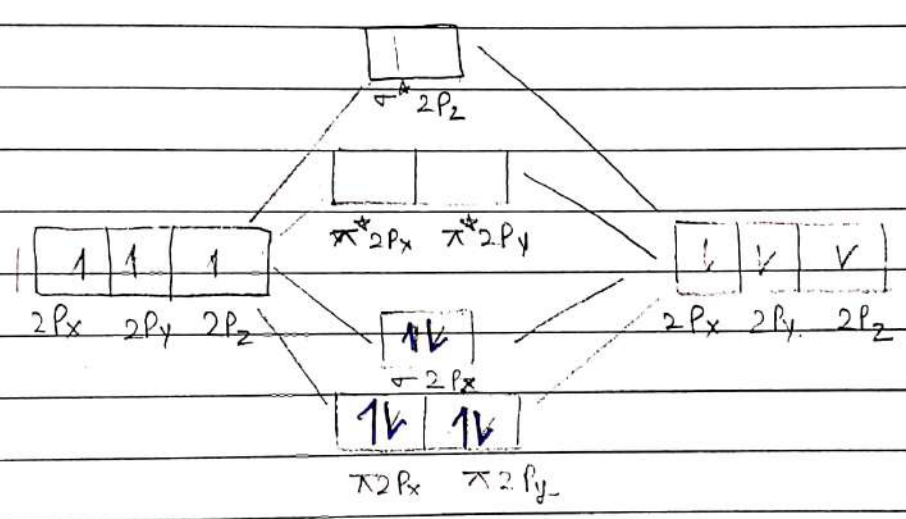
e) A.B.M.O represent by star (\*) sign.



~~17/10/20~~



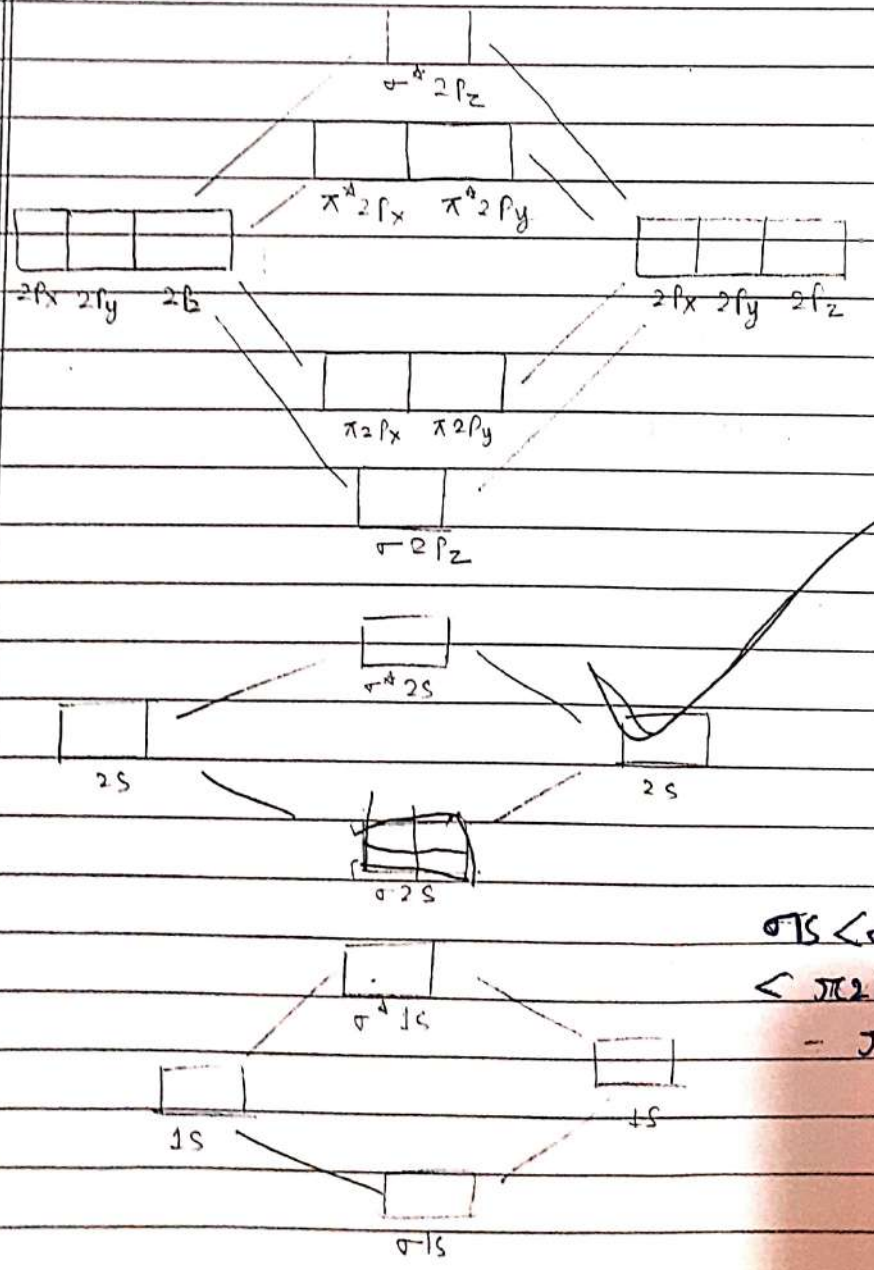
- Electrons are filled in molecular orbital acc. to Aufbau Principle, Hund's rule and Pauli Exclusion rule.
- $(n+l)$  rule not follow in M.O.T
- molecular orbital diagram for Hydrogen to Nitrogen can be draw as following -



$$\sigma 1s < \sigma^* 1s < \sigma 2s < \sigma^* 2s < \pi 2p_x = \pi 2p_y < \sigma 2p_z < \pi^* 2p_x = \pi^* 2p_y < \sigma^* 2p_z$$

The correct electronic configuration for molecular orbital till Nitrogen can be written as  $\uparrow$

→ for oxygen and Fluorine molecule, molecular orbital diagram written as.



$$\sigma 1s < \sigma^* 1s < \sigma 2s < \sigma^* 2s < \sigma 2p_z < \pi 2p_x = \pi 2p_y < \pi^* 2p_x = \pi^* 2p_y < \sigma^* 2p_z$$

According to molecular orbital theory diagram, we can find out bond order of molecules or ions.

$$\text{Bond order} = \frac{N_B - N_A}{2}$$

Here,

$N_B$  = no. of  $e^-$  in bonding molecular orbital

$N_A$  = no. of  $e^-$  in Anti bonding M.O

We can also find out that molecule or ions should be stable or unstable

If ---

$N_B > N_A \longrightarrow$  stable

$N_B < N_A \longrightarrow$  unstable

(does not exist)

$\rightarrow$  If unpaired  $e^-$  are available in M.O.T diagram then molecules or ions are paramagnetic in nature.



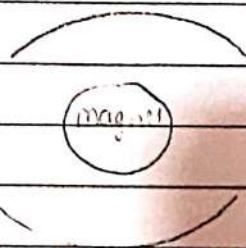
Paramagnetic

(These substance which attract towards magnet in presence of magnetic field)

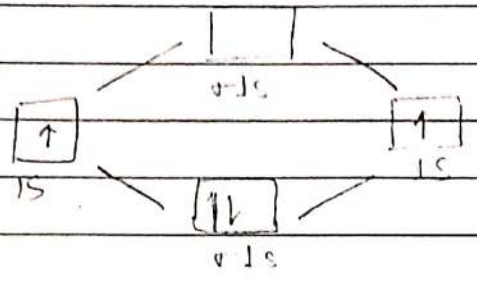
$\rightarrow$  If paired  $e^-$  are available then atoms or molecules are diamagnetic in nature.

(repulsion of magnet)

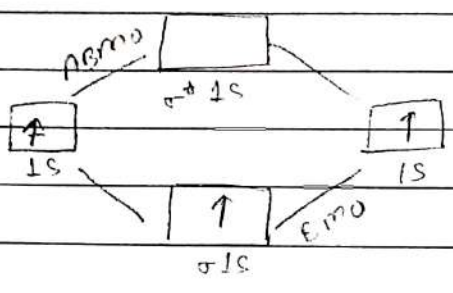
Diamagnetic



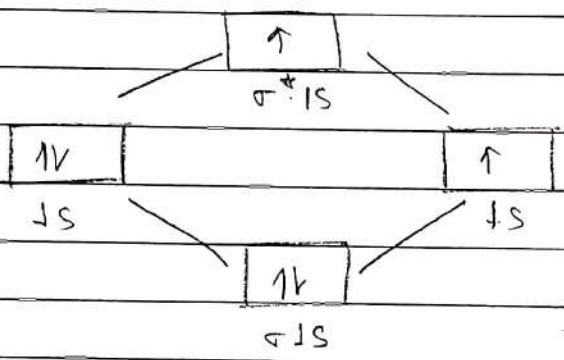
Que write down the increasing order of stability, bond order, bond length in following -  $H_2$ ,  $H_2^+$ ,  $H_2^-$



Bond order =  $\frac{2-0}{2} = 1$   
H-H



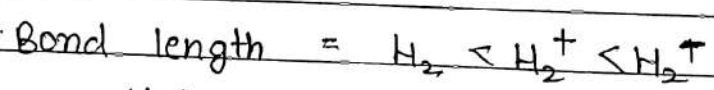
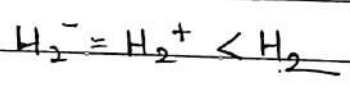
Bond order =  $\frac{1-0}{2} = 0.5$



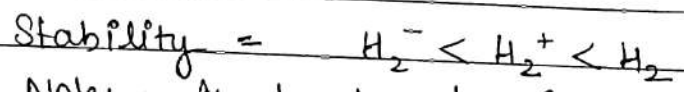
Bond order =  $\frac{2-1}{2} = 0.5$

\* Bond order  $\uparrow$  Bond length  $\downarrow$  Stability  $\uparrow$

Increasing order of bond order -



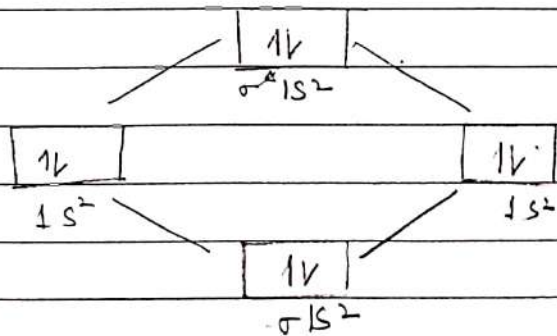
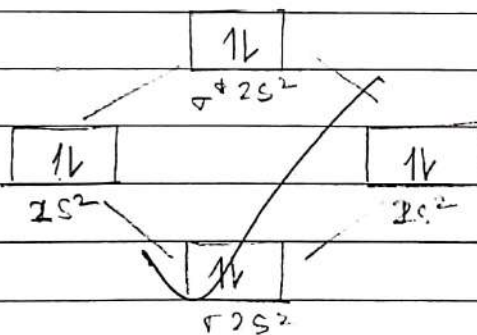
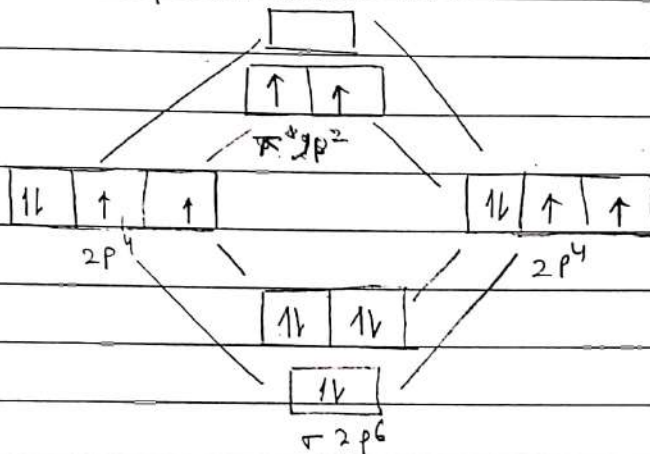
Note :-



Note:- If bond order is equal then those molecule or ions are more stable which have less no. of

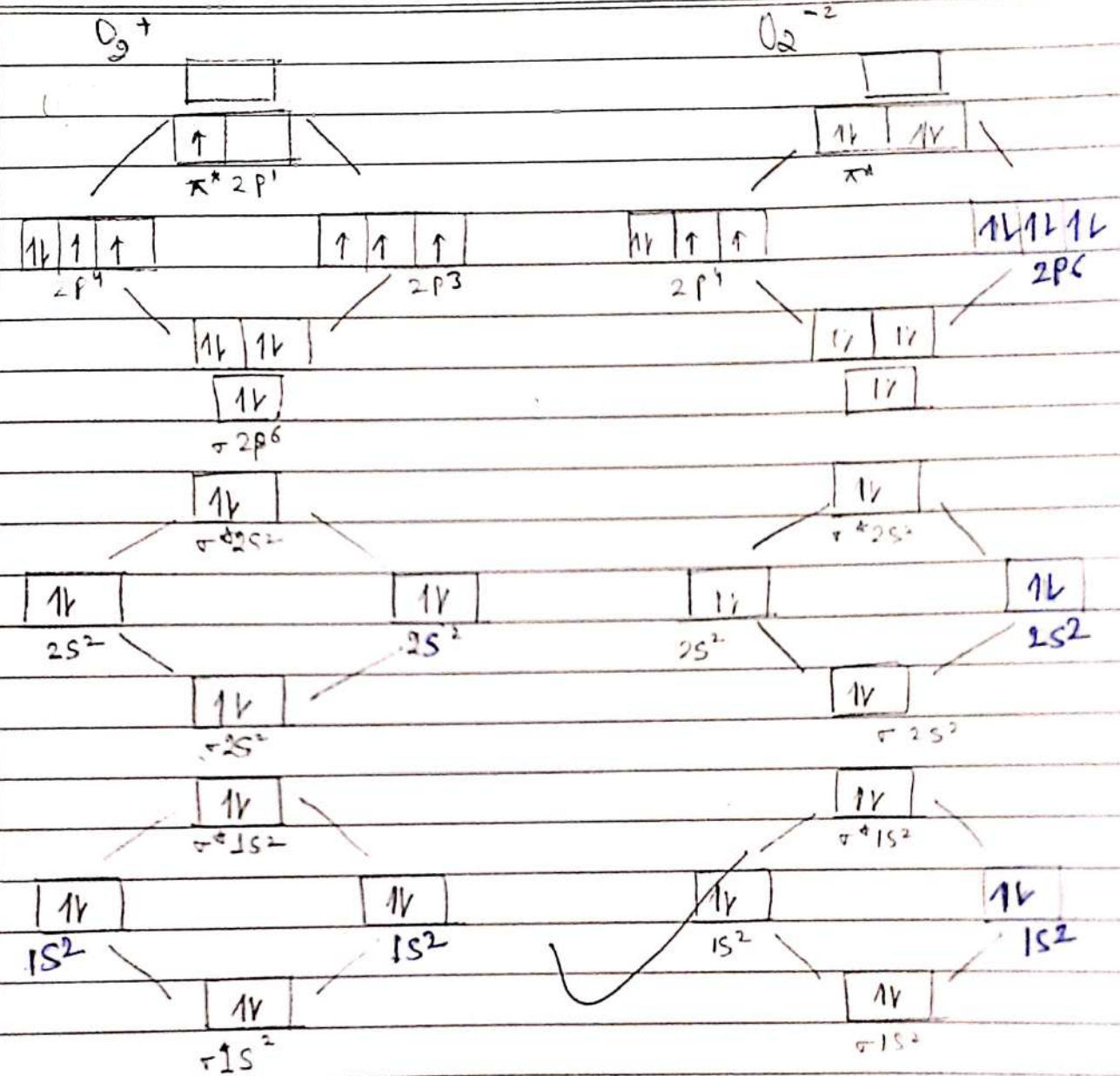
antibonding molecular orbital electron or which having higher positive charge.

Que  $O_2$ ,  $O_2^+$  are paramagnetic but  $O_2^{-2}$  is diamagnetic in nature. Explain with m.o.T.



2 unpaired e<sup>-</sup> ∴ paramagnetic

$$B.O = \frac{10 - 6}{2} = 2$$



B.O. =  $\frac{10-5}{2} = 2.5$

1 unpaired  $e^-$  - paramagnetic

B.O. =  $\frac{10-8}{2} = 1$

No unpaired  $e^-$   
diamagnetic

→  $O_2$  have 2 unpaired  $e^-$  and  $O_2^+$  have 1 unpaired  $e^-$  so those are paramagnetic in nature but  $O_2^{-2}$  have paired  $e^-$  so that is diamagnetic in nature

Q. Write down the molecular orbital electronic configuration for  $O_2$  gas.

Ans  $\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \sigma 2p_z^2, \pi 2p_y^2 = \pi 2p_x^2; \pi^* 2p_y = \pi^*$

molecule/ions	molecular orbital electronic confi.	N <sub>B</sub>	N <sub>A</sub>	B.O	Stability	mag. Property
$B_2$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \pi 2p_x^1 = \pi 2p_y^1$	6	4	1	Stable	Paramagnetic
$C_2$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \pi 2p_x^2 = \pi 2p_y^2$	10	4	3	Stable	Diamagnetic
$N_2$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \pi 2p_x^2 = \pi 2p_y^2, \sigma 2p_z^2$	12	4	4	Stable	Diamagnetic
$N_2^+$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \pi 2p_x^2 = \pi 2p_y^2, \sigma 2p_z^2$	9	4	2.5	Stable	Paramagnetic
$N_2^-$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \pi 2p_x^2 = \pi 2p_y^2, \sigma 2p_z^2, \pi^* 2p_x^1, \pi^* 2p_y^1$	10	5	2.5	Stable	Paramagnetic
$NO$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \sigma 2p_z^2, \pi 2p_x^2 = \pi 2p_y^2, \pi^* 2p_x^1$	10	5	2.2	Stable	Paramagnetic
$NO^+$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \sigma 2p_z^2, \pi 2p_x^2 = \pi 2p_y^2$	12	4	4	Stable	Diamagnetic
$NO^-$	$\sigma 1s^2, \sigma^* 1s^2, \sigma 2s^2, \sigma^* 2s^2, \sigma 2p_z^2, \pi 2p_x^2 = \pi 2p_y^2, \pi^* 2p_x^2$	12	6	3	Stable	Diamagnetic

Magnetic Moment

$$\mu = \sqrt{n(n+2)} \text{ Bm}$$

(Bohr's Magnetism)

Here n = no. of unpaired e<sup>-</sup>