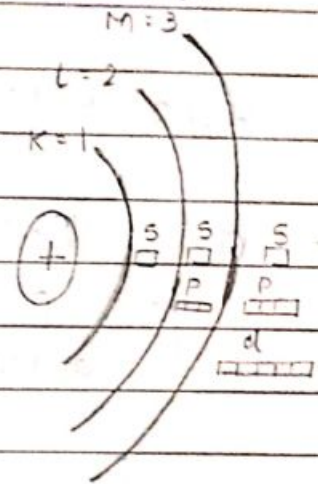


# # Quantum Numbers

★ - Shows address of electron in an atom.

- they are of four types:

- (a) Principal Q.N (n)
- (b) Azimuthal Q.N (l)
- (c) Magnetic Q.N (m)
- (d) Spin Q.N (s)



- Orbit (shell)  $\longrightarrow$  Sub-shell  $\longrightarrow$  Orbital  $\longrightarrow$  Spin  
 eg:  $11^{th}$  NEET bench student

## (a) Principal Quantum Number:

- represented by 'n'.
- represents 'shell (orbit)'.

- number of subshells =  $\boxed{n}$  (1-s) (2-sp) (3-spd) (4-spdf)

- number of electrons =  $\boxed{2n^2}$

- number of shell = 1      2      3      4  
    K      L      M      N

orbitals  $\longrightarrow$  1      4      9      16

- number of orbitals =  $\boxed{n^2}$

   K      L      M      N

electrons  $\longrightarrow$  2      8      18      32

## (b) Azimuthal Quantum Number:

- represented by 'l'
- represents 'subshell'.
- azimuthal number is always 1 less than principal and it can never be equal or greater than it.

$$[l = 0 \dots n-1] \quad [l < n \quad l \neq n]$$

-	$l = 0$	1	2	3
	subshell $\rightarrow$ s	p	d	f

- number of orbitals =  $2l+1$

subshell $\rightarrow$	s	p	d	f	= 1
$l \rightarrow$	0	1	2	3	
orbitals $\rightarrow$	1	3	5	7	
electron $\rightarrow$	2	6	10	14	

- number of electrons =  $2(2l+1)$

### \* Orbital Angular Momentum

$$\boxed{\sqrt{l(l+1)} \frac{h}{2\pi}}$$

here;

$\frac{h}{2\pi}$  represent by  $\hbar$

$$\therefore, \boxed{\sqrt{l(l+1)} \hbar}$$

Q:38 find orbital ang. momentum for 's' and 'p' subshell.  
 $\Rightarrow s=0 \quad p=1$

$$\text{for } s \Rightarrow \sqrt{l(l+1)} \frac{h}{2\pi} \\ = \boxed{0}$$

$$\text{for } p \Rightarrow \sqrt{l(l+1)} \frac{h}{2\pi} \\ = \boxed{\sqrt{2} \frac{h}{2\pi}}$$

(c) Magnetic Quantum Number:

- represented by 'm'.
- represents 'orientation of subshell'.
- has one less, equal and one more than azimuthal.  
i.e.  $[m = -l \ 0 \ +l.]$

-  $s \rightarrow m = 0$   
 $\boxed{\phantom{0}} \quad l=0$

-  $p \rightarrow m = -1 \ 0 \ +1$   
 $\boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \quad l=0.$

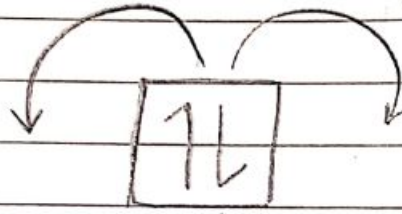
-  $d \rightarrow m = -2 \ -1 \ 0 \ +1 \ +2$   
 $l=2 \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}}$

-  $f \rightarrow m = -3 \ -2 \ -1 \ 0 \ +1 \ +2 \ +3$   
 $\boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}} \ \boxed{\phantom{0}}$



(d) Spin Quantum Number :

- represented by 's'
- represents 'spin of electron'. (in orbitals)
- $s = +\frac{1}{2}$  (clockwise)       $-\frac{1}{2}$  (anti-clockwise).



- for single electron in orbitals spin may be  $+\frac{1}{2}$  or may be  $-\frac{1}{2}$ .

- for double electron in orbitals spin may be  $+\frac{1}{2}$  and may be  $-\frac{1}{2}$ .

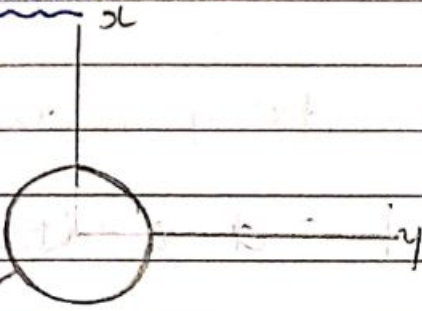
or Spin Magnetic Momentum

$$\boxed{\frac{1}{2} s(s+1) h}$$


# # Shape of orbitals

1st/20/20 (2)

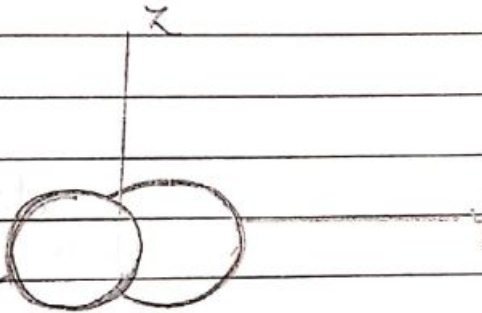
(a) s-orbital



→ Spherical shape.

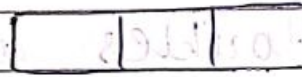
 = s-orbital

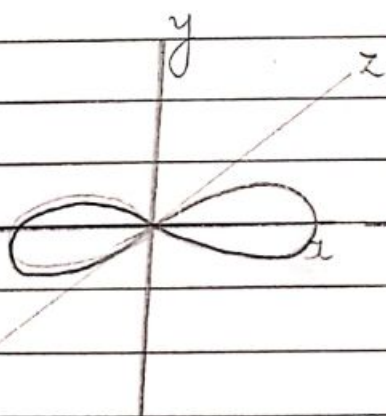
(b) p-orbital



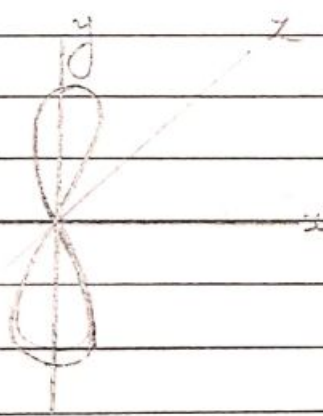
→ Dumb-bell shape

→ 03 number of degenerated p-orbitals ( $P_x$ ,  $P_y$ ,  $P_z$ ).

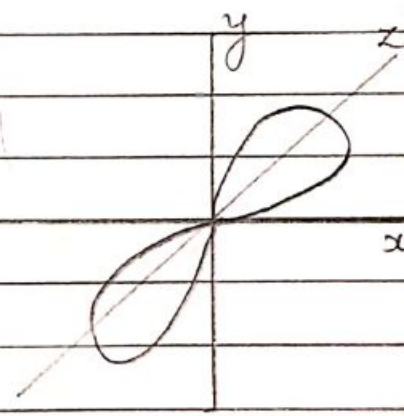
 = p-orbital  
 $P_x$   $P_y$   $P_z$



$P_x$



$P_y$

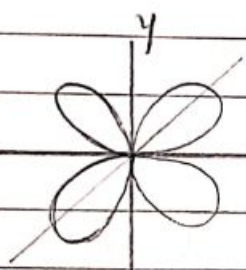
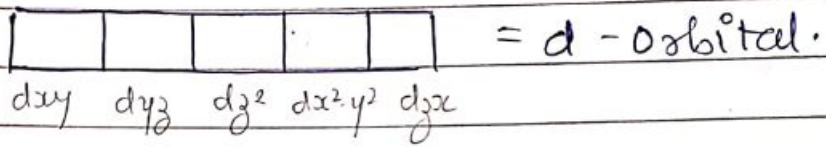


$P_z$

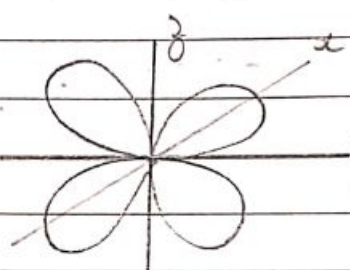
(c) d-orbital:

- Double dumb-bell shape.
- 05 number of degenerated orbitals.

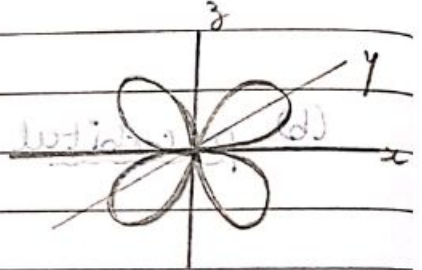
( $d_{xy}$ ,  $d_{yz}$ ,  $d_{zx}$ ,  $d_{x^2-y^2}$ ,  $d_{z^2}$ )



$d_{xy}$

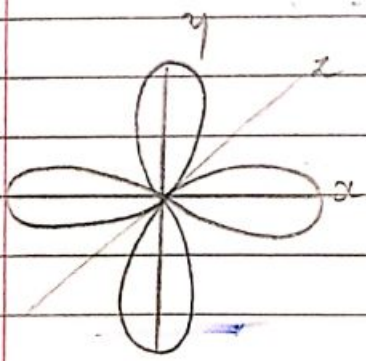


$d_{yz}$



$d_{zx}$

Both dumb-bells available between axis.



$d_{x^2-y^2}$



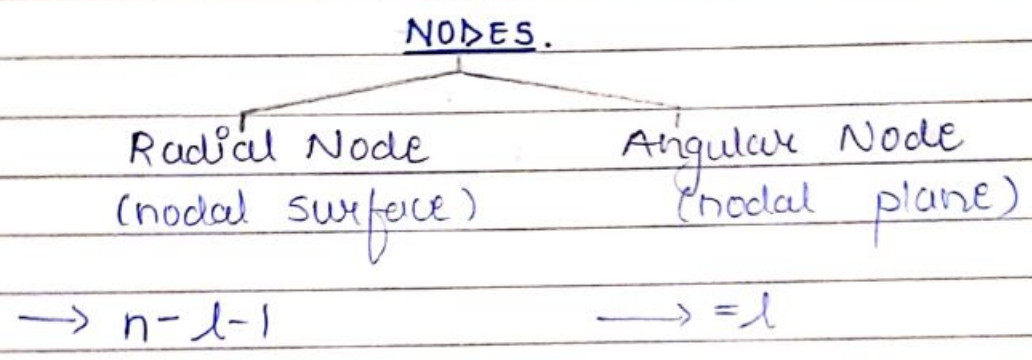
$d_{z^2}$

(both dumb-bells on x-axis & y-axis)

(both dumb-bells on z-axis)

# # Nodes:

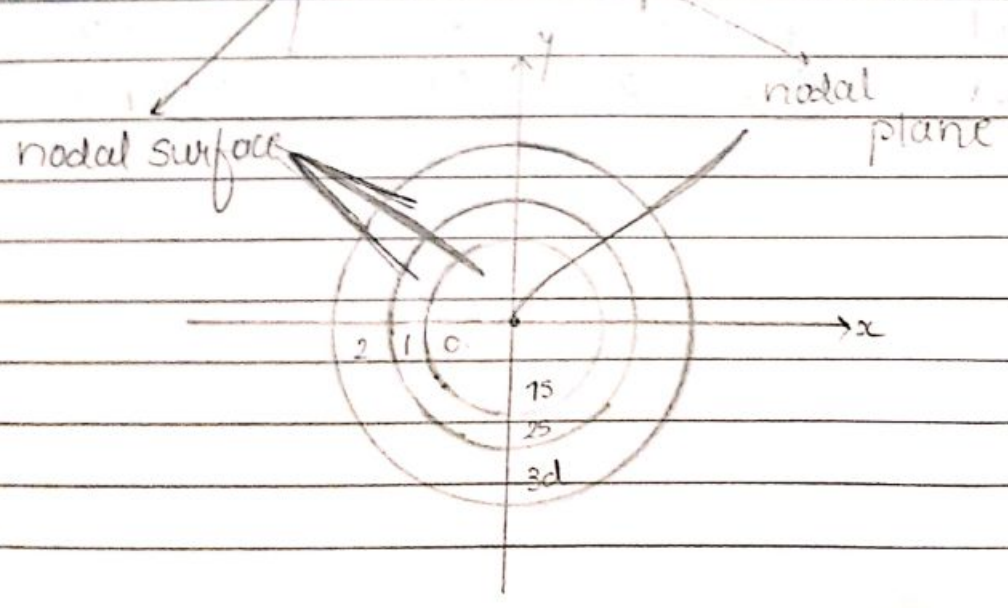
- Nodes are the points in orbitals where possibility of 'availability of electron' is negligible.
- There are 2 types of nodes:



## (A) in s-orbital

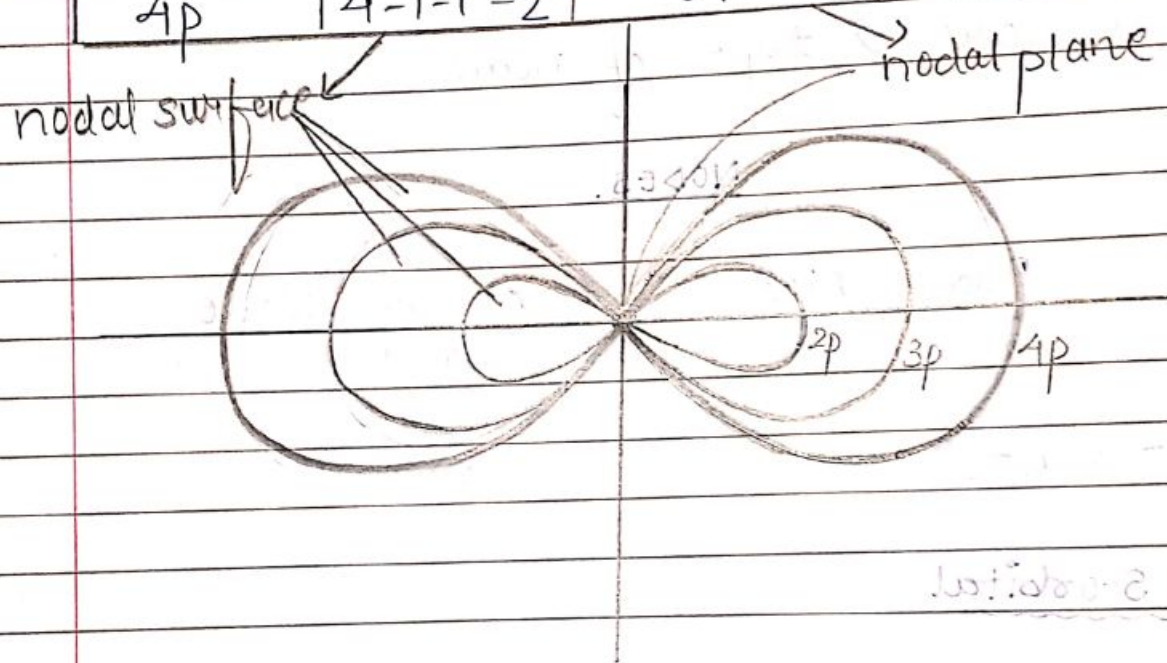
$n - l - 1 = n - 0 - 1 = n - 1$

s orbital	Radial node (n-l-1)	Angular node (l)	Total Node (n-1)
1s	1-0-1 = 0	0	0
2s	2-0-1 = 1	0	01
3s	3-0-1 = 2	0	02



(B) in p-orbital

P-orbital	Radial node ( $n-l-1$ )	Angular node ( $l$ )	Total node ( $n-1$ )
2p	$2-1-1=0$	0	$2-1=1$
3p	$3-1-1=1$	0	$3-1=2$
4p	$4-1-1=2$	0	$4-1=3$



(C) in d-orbital

d-orbital	Radial node ( $n-l-1$ )	Angular node ( $l$ )	Total node ( $n-1$ )
3d	$3-2-1=0$	0	$3-1=2$
4d	$4-2-1=1$	0	$4-1=3$
5d	$5-2-1=2$	0	$5-1=4$