



**DR B R AMBEDKAR NATIONAL INSTITUTE OF
TECHNOLOGY JALANDHAR, PUNJAB (INDIA)**

Department of Computer Science and Engineering

**** Assignment-1 of SPCD-401 ****

DATE OF ASSIGNMENT: - 19th Sept, 2024

DATE OF SUBMISSION: - 30th Sept, 2024

Please take note of the following instructions for submitting your assignments:

Physical Mode:

- Assignments need to be submitted both in physical mode and also uploading it to google classroom drive.
- Ensure your assignment is neatly written, legible, and well-organized.
- Label your assignment with your name, course name and roll no.
- Staple or bind multiple pages together.
- Submit your assignment on or before the due date. Late submissions may be subject to penalties.

Questions (1) :- Consider the following assembly program:

```
START 1000
LOOP LDA NUM1
      ADD NUM2
      STA RESULT
      JMP LOOP
NUM1 DC 25
NUM2 DC 30
RESULT DS 1
END
```

1. First Pass:

- Construct the symbol table after the first pass of the assembler.

- Describe the role of the first pass in a two-pass assembler process.

2. Second Pass:

- Provide the machine code generated after the second pass of the assembler.
- Explain the purpose of the second pass and how it differs from the first pass in a two-pass assembler.

Question (2): - A student wrote two context-free grammars G1 and G2 for generating a single C-like array declaration. For example,

float f [10] [3];

The grammars use D as the start symbol, and use six terminal symbols: - float ; id [] num.

Grammar G1

$$\begin{aligned} D &\rightarrow \text{int } L; \\ L &\rightarrow \text{id } [E \\ E &\rightarrow \text{num }] \\ E &\rightarrow \text{num }] [E \end{aligned}$$

Grammar G2

$$\begin{aligned} D &\rightarrow \text{int } L; \\ L &\rightarrow \text{id } E \\ E &\rightarrow E [\text{num}] \\ E &\rightarrow [\text{num}] \end{aligned}$$

Create parse tree using each grammar to generate the declaration mentioned above.


Question (3): -

a) Consider the following grammar and eliminate left recursion-

$$\begin{aligned} A &\rightarrow \mathbf{Ba} / \mathbf{Aa} / \mathbf{c} \\ B &\rightarrow \mathbf{Bb} / \mathbf{Ab} / \mathbf{d} \end{aligned}$$

b) Consider the following grammar and eliminate left-factoring-

$$S \rightarrow \mathbf{a} / \mathbf{ab} / \mathbf{abc} / \mathbf{abcd}$$

 **Question (4):** - Consider the grammar with non-terminals $N=\{S,C,S_1\}$, terminals $T=\{a, b, i, t, e\}$, with S as the start symbol, and the following set of rules:

$$\begin{aligned} S &\rightarrow \mathbf{iCtSS_1} \mid \mathbf{a} \\ S_1 &\rightarrow \mathbf{eS} \mid \mathbf{\epsilon} \\ C &\rightarrow \mathbf{b} \end{aligned}$$

Construct the LL (1) parsing table and check whether given grammar is LL (1) or not?



Question (5): Consider the grammar with non-terminals $N = \{E, T, F\}$, terminals $T = \{ (,), +, *, \text{id} \}$, with E as the start symbol, and the following set of rules:

$$E \rightarrow E+T/T$$

$$T \rightarrow T*F/F$$

$$F \rightarrow (E)/\text{id}$$

Construct the SLR(1) parsing table and check whether given grammar is SLR(1) or not? Also implement the stack for the **input string: id*id+id**

Question (6): Consider the grammar with non-terminals $N = \{S, A\}$, terminals $T = \{a, b\}$, with S as the start symbol, and the following set of rules:

$$S \rightarrow CC$$

$$C \rightarrow cC/d$$

Construct the LALR (1) parsing table and check whether given grammar is LALR (1) or not?
